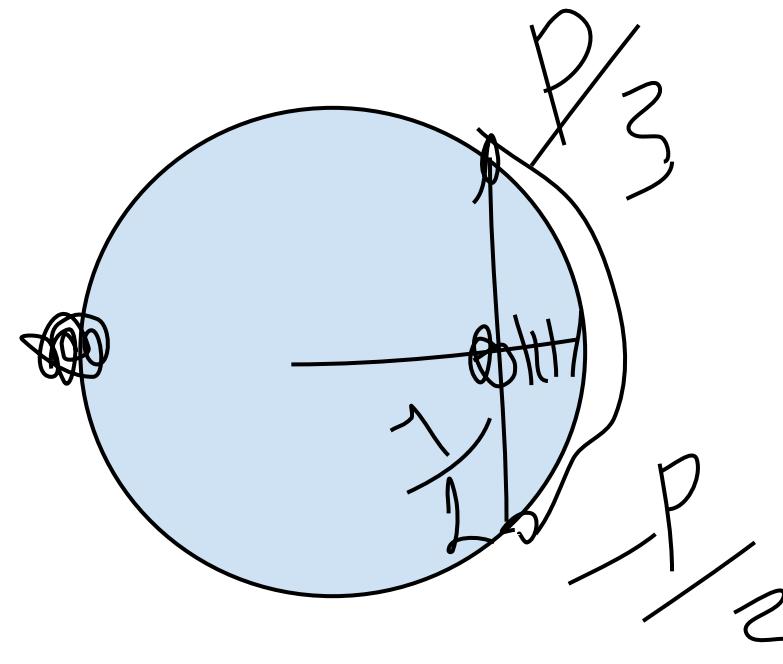


$V[\cos(x/1989) - \frac{1}{2}] + V[\cos x - \frac{1}{2}] = V[\cos(x/1989) + \cos x - 1]$
 $a = \cos(x/1989) - \frac{1}{2}$
 $b = \cos x - \frac{1}{2}$
 $V_a + V_b = V(a+b)$
 $a+2V_a V_b + b = a+b$
 $2V_a V_b = 0$
 $a=0$
 $b=0$
 $\cos(x/1989) - \frac{1}{2} = 0$
 $\cos(x/1989) = \frac{1}{2}$
 $x/1989 = \pm p/3 + 2pn$
 ~~$x = \pm 1989p/3 + 1989^*2pn$~~
 ~~$x = \pm 663p + 1989^*2pn$~~
 $\cos x - \frac{1}{2} = 0$
 $\cos x = \frac{1}{2}$
 $x = \pm p/3 + 2pn$



$a \geq 0$
 $b \geq 0$
 $\cos(x) \geq \frac{1}{2}$
 $-P/3 + 2PK \leq x \leq P/3 + 2PK$

 $\cos(x/1989) - \frac{1}{2} \geq 0$
 $\cos(x/1989) \geq \frac{1}{2}$
 $-1989p/3 + 1989^*2pk \leq x \leq 1989p/3 + 1989^*2pk$
 $-p/3 - 1989p/3 + 1989^*2pk \leq x \leq p/3 + 1989p/3 + 1989^*2pk$
 $-1/6 - 1989/6 + 1989k \leq n \leq 1/6 + 1989/6 + 1989k$
 Ответ: $x \in [-p/3 + 2pn, p/3 + 2pn]$ где
 $-1/6 - 1989/6 + 1989k \leq n \leq 1/6 + 1989/6 + 1989k$